

## 大気化学反応のひとつの計算法 An approach to chemical reactions in the atmosphere

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### 1. Introduction

We discuss an approximate approach to simulate time series reactions in the atmosphere. At first, we write a reaction at definition time- $t$ , as  $A+B=C$ . Next, we suppose that densities of the compounds are written by Gaussians. The Gaussian is a solution for general small particles diffusion processes. The time- $t$  is discrete about the interval is  $dt$ . If 2 particles of compound A and B are interacted within the interval, the reaction reaches equilibrium, and a compound C is generated.

### 2. Descriptions

Considering properties of the atmosphere, we adopt Gaussian having different parameters for the horizontal and vertical directions.

$$GA\{A\}(r,z)=QA\{A\}\exp\{-\alpha A(r-rA)^2-\beta A(z-zA)^2\}, \quad (1)$$

The suffix A corresponds to compound A. The Q is density and the unit is [M/volume] of compounds. In case of uncertain compounds chemically, it is replaced by [kg/volume]. A vector  $r$  is for x- and y-coordinates, and  $z$  is for z-coordinate. The function  $\exp$ (whose arguments is 3-dimensional distance) is a kind of the volume. Eq. (1) is a relation of [M]; that is, a reaction equation, which is defined at any time.

The  $\alpha$  and  $\beta$  (which are positive) are diffusion parameters and they depend with elapsed time from the generation. The dependency is very complex and the evaluation is difficult. In the puff-model approach, it is calculated by many turbulence parameters. However; we wonder that model is significant in case of very diffused case. We wish to adopt Lagrangian particles (L-particles), where alpha-beta-parameters are not, and effects of the turbulence are expressed by random numbers.

L-particles are a finite volume of the air, and have no shape. Therefore; we redefine it to be Gaussian. The multiply of Gaussians is a Gaussian; it is an appropriate function to express reactions.

Under the representation, alpha-beta-parameters are fixed coefficients to define a unit volume. They are a kind of mesh intervals. The re-defined Gaussians are moved by meteorological fields, as if they were L-particles. The Gaussian is like as a mesh-unit in Euler approach, which has a finite volume. They are in a space, and are moved by wind fields; however, they are not arranged orderly in Euler approach. Here, if the arrangement is introduced as following;

A transformation between L-particle and Euler-mesh:

$$Q(\text{mesh coordinates})=\text{Integral}\{GA(r,z)G(\text{on mesh})dv\},$$
$$\{GA(r,z)\}\rightarrow\{Q(\text{on mesh})\}.$$

The transformation seems to be usable to evaluate diffused mist.

### 3. Reactions

In an interval time, chemical equilibrium is,

$$K_{eq}=[C]/([A][B]). \quad (2)$$

For every times,

$$QA(t+dt)=QA(t)-QC(t), \quad QB(t+dt)=QB(t)-QC(t), \quad (3)$$

$$rA(t+dt)=rA(t)+\{u,v\}Adt+\text{Rand}(), \quad (4)$$

$$ZA(t+dt)=ZA(t)+\{w\}Adt+\text{Rand}(), \quad (5)$$

Where, a vector  $\{u,v,w\}$  is wind speeds. Rand() is normal distributed random numbers.

In another reaction,  $A+B=C+D$ , we get,

$$K_{eq}=(C[D])/([A][B]), \quad (6)$$

Since the distributions of C and D are same at the first step,

$$GC=GD=(K_{eq}GAGB)^{0.5}. \quad (7)$$

### 4. Progress of the research

We try to simulate some reactions in the atmosphere now.

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会場:3 階ポスター会場

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